

(第二版)

谁的创新创意多，谁的竞争力大

人人都要有

创新意识

创新行为

创新动力

形成“人人创新”的组织氛围

让创新项目遍地开花

创新

INNOVATION

天能控股集团
董事

艰苦奋斗 是我们的“传家宝”

是天能文化的根和魂

这种精神过去需要

现在需要，未来更需要

永远也不能丢

奋斗

STRIVING

天能控股集团
不能控股集团
董事长

张云松

个人的力量是渺小的
组织的力量才是强大的

只有**团结协作**

才能**彼此收益**

只有**目标一致**

才能**取得胜利**

协同

COORDINATION

天能控股集团

董事长

张永忠

有多大的担当

就能成就多大的事业

要把“等、靠、要”

变为“赶、比、超”

山不过来我过去

责任

RESPONSIBILITY

天能控股集团
董事长

张松海

N F ʼ π ĩ ʼ ʊ rη
t t Ä ʘ

N . ʼ γ ʘ ʘ ĩ ʼ
γ. r η
t t CEO ~ ʼ

2014 12 22 ~ K H ʘ
[T ʼ í í .
ë Â w ʘ ʘ
Â X 7 ~ ʘ ă
r L ă 78 ă ă ă ă
⇒ ă 1 E γ w ~ H ʼ E ψ ă
ψ ă b ψ ~ ů Ů F ψ HŮ
ʘ Â ʼ t T ~
~ Ů r ů w r ~ H F ~
H ⇒ N ʘ Ĩ
w ~ 1 ~ ʘ ĩ H Â

H Й п r . 2 H e o
 3 ∞ 3 v r L L v v
 ≠ Â2015 3 ~ à ≠ à v à
 ä . ~ v v "Q v 5 ||
 A F “ P w @ ” Â H
 H v П 9 H V v 7 Â
 ì ↓ H v ì ↓ U Ъ Â Й
 ∞ 3 v ± v H
 ' v J Ъ β Â F 1
 v . 1 . v ” v v U v v
 й v F w m 1 v 3
 Ъ, v Й w Â
 к 2 ' “ 7 Ъ p F к v F
 = к Â 7 к v p
 Ъ Â Ъ = v
 w Â Ъ = v к 3 w Â ”
 x w v v к
 v p w e
 v 2 v Â v 7 v H
 v v e Ì w й Â
 ê Ì 168 v r H

[illegible]
$$\mathcal{H} \quad \mathcal{H} \mathcal{H} \quad \tilde{\eta}$$

b η ψ´		02
E ð ô ý “ ” ι é ð Φ “ ᵛ ḡ ”		03
E ð ð´ é ḡ ᵛ ᵗ ṙ		03
l ᵛ ᵗ ᵗ Θ é		04
₃ ω ᶜ ᳵ Ṛ ψ ó		04
½ ḡ Kḡ Ṛ ψ´ ᵛ		05
ð´ ٓ ≡ ð~		05
ᵗ ᶑ l~´ Ṛ K ψ ó		06
A ι ٓ ṙ		07
´ ṙ ₃ Ṛ “ ᵗ Oᵛᵗḡ ”		07
ð´ Wʲ ι ð Y Ḳ ᵗ ý		08
ᳵ Ṛ ᵗ Aᵇ ᵗ		09
ᳵ Ṛ Æ Nᵗ ι ᳵ Ṛ Aᵇ ٓ		11
E ~ ᵗ l ḡ ~ ٓ		11
ᵗ ṙ~ “ é ” ι ~ “ ”		12
ᳵ l ᵛ ᵗ ᵗ Φ		13

[illegible]

[illegible]

Ÿ ę ÄX “hu - ”	36
† Äöǎö K i quĩ ʃ Z Ć K	36
ʝ ô ă Ć i é ĩ ~ * Ć	37
Ăă ą h i ă, è h	37
ɔ ʌ B ʱ i wæ i ^ ɕ w i ɕ B w	38
w ʒ K Ô ˉ é ð ʁ ă ɔ	39
Ö ɖ i ʋ D ʝ ʱ	39
θ K i h p ʰ ɸ	39
l Ÿ ɕ ʒ ψ ˉ Ó ʁ	40
ˆ † ĩ ɸ ˌ ° ɔ	40
ˌ i l ˌ 	41
õ ý 5/8 ˆ ɸ l	41
l ʁ i l ʁ é	42
X p ˈ i Ò ≡ ʏ Θ	42
1 ʝ l ʒ i p l ʒ	43
p ê ˉ D R i ʌ ˈ p	43
˜ ɔ ʕ l ɔ ʋ l l ô l	44
o ʝ ʋ ش D i ˈ h ʒ ʁ	44
† Ä l ɔ “ ʒ ˈ ” ʝ ˈ	45
u i é ɔ ʰ	45

Λ Ὶ Ὶ Ὶ		48
Λ Ὶ Ὶ Ὶ		49
Λ Ὶ Ὶ Ὶ		50
Λ Ὶ Ὶ Ὶ		50
Λ Ὶ Ὶ Ὶ		51
Λ Ὶ Ὶ Ὶ		52
Λ Ὶ Ὶ Ὶ		53
Λ Ὶ Ὶ Ὶ		54
Λ Ὶ Ὶ Ὶ		54
Λ Ὶ Ὶ Ὶ		55
Λ Ὶ Ὶ Ὶ		55
Λ Ὶ Ὶ Ὶ		56
Λ Ὶ Ὶ Ὶ		57
Λ Ὶ Ὶ Ὶ		57
Λ Ὶ Ὶ Ὶ		58
Λ Ὶ Ὶ Ὶ		59
Λ Ὶ Ὶ Ὶ		59
Λ Ὶ Ὶ Ὶ		60

z "Q̃Ω ĩ ǂ ϑ ʒ H° f 60

Λ " z 𐌹 " " C̃ p " 60

ǂ ʒ Ḥ . Λ ĩ 61

ǎ ĩ ǂ l ǎ ó° ◇ 62

E ǔ Y Ө ʌ ı Φ é 62

Æ ʌ Ȳ ʀ Y Ө ʌ 63

ǎ ı ı Q " ʌ ı ı ı " 63

l Ȳ • ı ı l Ȳ • ≥ 64

M " ɕ ǎ " 64

˘ ʌ ǎ ĩ " e " 66

Q ǎ ǎ ı Q ǎ 66

" Ě Ě 63

“ J γ ” ĩ ǎ Ç ~ Ö ʋ γ Æ ʌ 70	70
J ~ ^ N ~ h ǎ ʌ X ʌ ö ʋ ^ ʌ 70	70
ǎ ʌ ʌ ǎ Ç J 71	71
ǎ ʌ ʌ ĩ ʋ ʌ ʌ 71	71
ʌ ʌ ʌ ǎ ʌ 72	72
ʌ ʌ ʌ ʌ ʌ ʌ 72	72
ʌ ʌ ʌ ʌ ʌ ʌ 73	73
ʌ ʌ ʌ ʌ ʌ ʌ 73	73

ʌ ʌ ʌ ʌ ʌ ʌ 76	76
ʌ ʌ ʌ ʌ ʌ ʌ 77	77
ʌ ʌ ʌ ʌ ʌ ʌ 77	77
ʌ ʌ ʌ ʌ ʌ ʌ 78	78
ʌ ʌ ʌ ʌ ʌ ʌ 78	78
ʌ ʌ ʌ ʌ ʌ ʌ 79	79
ʌ ʌ ʌ ʌ ʌ ʌ 79	79
ʌ ʌ ʌ ʌ ʌ ʌ 80	80

ʋ ɒ Ǻ ȳ Ɓ Ɔ Ǿ ° ı̇

´ % ı̇ ǿ ǿ ǿ ǿ 81

ı̇ Ɔ ´ % ı̇ ı̇ ı̇ 81

“ ı̇ ı̇ ǿ ” ı̇ ı̇ ° ı̇ 82

ı̇ Ǻ ı̇ ı̇ ı̇ ı̇ ı̇ ı̇

ɹ ɹ ɓ ʌ ɪ ʏ Ө q ɤ ǣ	92
ʘ è ♦ ɪ ǣ ɸ W ɹ	92
ɤ ɓ ɓ ʌ ɪ ɹ ɓ ǣ ɔ	94
ɿ Ǻ ɳ' ~ ʐ ɪ ɪ ɤ ʐ' ɳ	94

ʌ ɔ ɹ ǒ Ǔ ʌ ɹ'	96
ɿ ɿ ɸ ɪ ɸ ɛ ɹ ʌ ɓ	96
ɹ ɹ ʌ ɪ ǒ ɪ ǒ ɹ ɹ	97
ǣ è ǣ ɔ ʏ ɪ ɔ ʌ ɸ	97
ɹ ʐ ʌ ɪ ɪ ʐ ɹ ʐ	98
ɹ ʌ " ɹ ɳ ɔ "	99
ɹ ɔ ɹ ʐ ɹ—	99

h ʌ ǣ ǣ ɿ ɸ	101
ɪ q ʌ ɹ ɹ ɹ	102
ɪ ɹ ɪ ɪ ʏ ʏ ɪ ɹ ɹ	102
ɸ ɹ ɪ ǣ ɸ ʌ ʐ	103

~ = uĩ 3 z	114
η l B H Æ i ~ l ~ Λ ř	115
"Q̂ ≥ ð i 3 H ٱ ج	115
ƶ 3 - i Λ ř ö ʋ̂ ı	116
ƶ i f o ε " η ۞ z Ÿ "	117

Ǧ χ ǎ 3 γ ' ǻ À ψ ⁀ À Λ ř ɲ Ō ε Ǻ l ζ	118
3 ǻ ǻ 2	123

$\bar{w}$ | $\sim$ | Δ Ω $\mathfrak{b}$ $\mathfrak{b}$ $\sim$
 $\bar{w}$ $\sim$ | $\sim$ $\cdot$ $\mathfrak{z}$ $\mathfrak{z}$ $\mathfrak{z}$
 $\mathfrak{y}$ $\mathfrak{z}$ $\hat{A}$ $\mathfrak{r}$ L L $\sim$
 Ψ $\sim$ L $\sim$ $\mathfrak{z}$ 1 $\circ$ $\mathfrak{z}$
 $\mathfrak{Y}$ $\sim$ Ψ $\hat{A}$ $\sim$
 $\sim$ $\mathfrak{b}$ $\mathfrak{b}$ $\mathfrak{p}$ $\mathfrak{b}$ Ψ $\sim$ Ψ $\mathfrak{p}$ $\hat{A}$

$\Leftrightarrow$ $\sim$ $\mathfrak{b}$ $\sim$ $\sim$
 $\sim$ $\mathfrak{b}$ $\mathfrak{h}$ $\mathfrak{y}$ $\sim$
 $\mathfrak{F}$ $\sim$ $\mathfrak{r}$ $\mathfrak{F}$ $\hat{A}$
 $\sim$ $\bar{w}$ $\mathfrak{G}$ $\mathfrak{a}$ $\bar{w}$ $\mathfrak{G}$ $\mathfrak{z}$ $\sim$ $\sim$
 $\mathfrak{z}$ $\sim$ $\sim$ $\sim$ $\sim$ $\hat{A}$
 $\mathfrak{z}$ $\sim$ $\mathfrak{p}$ $\mathfrak{q}$ $\mathfrak{z}$ $\circ$ $\mathfrak{z}$ $\mathfrak{r}$ $\sim$ $\mathfrak{p}$
 $\mathfrak{F}$ $\mathfrak{z}$ $\mathfrak{y}$ $\hat{A}$

$\mathfrak{S}$ $\mathfrak{r}$ $\mathfrak{b}$ $\mathfrak{r}$ $\mathfrak{r}$ $\mathfrak{i}$ $\sim$ $\mathfrak{a}$ $\neq$ $\mathfrak{a}$
 $\mathfrak{a}$ 1 $\hat{A}$ $\mathfrak{M}$ $\mathfrak{a}$ $\mathfrak{z}$ $\mathfrak{b}$
 $\sim$ L $\mathfrak{r}$ L $\mathfrak{F}$ $\mathfrak{r}$ $\bar{w}$ $\sim$ $\mathfrak{z}$

$$\begin{array}{c} \mathfrak{Z} \\ \mathfrak{U} \quad \mathfrak{Z} \quad \mathfrak{L} \quad \mathfrak{Z} \quad \mathfrak{H} \Leftrightarrow \mathfrak{Z} \\ \mathfrak{Z} \quad \sim \quad \neq \quad \mathfrak{H} \hat{A} \end{array} \quad \begin{array}{c} \Leftrightarrow \quad \sim \quad \tau \quad \left[\quad \mathfrak{I} \quad \mathfrak{I} \quad \mathfrak{I} \quad \hat{A} \right. \\ \left. \mathfrak{I} \quad \mathfrak{H} \hat{A} \right] \end{array}$$
[illegible]
$$\begin{array}{ccccccccccc} \gamma & \mathfrak{b} & \mathfrak{h} & \sim & \grave{\mathfrak{a}} & \grave{\mathfrak{a}} & \hat{A} & & & & \\ & \mathfrak{H} & & \mathfrak{H} & \mathfrak{L} & & \mathfrak{L} & & & & \\ \mathfrak{Z} & \mathbb{E}_n & \dot{\rho} & \mathfrak{L} & \sim & & \mathfrak{Z} & \sim & \mathfrak{b} & & \\ & \mathfrak{A} & = & \mathfrak{L} \hat{A} & \text{“} & \mathfrak{L} \text{”} & \bar{\mathfrak{w}} & \mathfrak{G} & \top & & \sim \\ \wedge & 2014 & \sim & \gamma & \mid & \mathfrak{z} & \mathfrak{H} & \sim & \mathfrak{P} & \parallel & \bar{\mathfrak{w}} \\ , & \sim & & \sim & \mathfrak{p} & \mathfrak{P} & \mathfrak{b} & \mathfrak{L} & \cdot & \mathfrak{Z} & \mathfrak{b} & \Psi \end{array}$$

$\Psi \approx \hat{A}$
 γ $\mathbb{F}$ $\mathcal{P}$
 v $\mathfrak{b}$ $\hat{A}$ $\mathfrak{H}$ $\bar{w}$ $=$
 $=$ $\tilde{i}$ $\mathfrak{b}$ $\parallel$ $\mathcal{X}$ $\hat{A}$ $\mathfrak{b}$ $=$
 $\mathfrak{b}$ $\mathfrak{u}$ $\mathcal{X}$ $\acute{p}$ $\mathcal{U}$ $\mathcal{S}$
 γ $\mathfrak{z}$ $\mid \mathcal{S}$ $\mid \mathcal{S} \hat{A}$ $\mathfrak{z}$
 $\mathfrak{u}$ $\mathfrak{G}$ $\tilde{i}$ $\mathfrak{b}$ $\mathfrak{u}$ $\mathfrak{z}$ $\hat{A}$
 γ $\mathfrak{z}$ $\mathfrak{G}$ $\mathcal{Q}$ $\mathfrak{b}$ $\mathfrak{b}$ $\mathfrak{u}$ $\mathfrak{b}$
 $\mathfrak{z}$ $\hat{A}$ $=$ $\mathcal{U}$ $\hat{A}$

$\begin{matrix} & \text{L} & \text{L} & & \Leftrightarrow & \sim & & \text{“} & \ddot{\text{ö}} & & \text{”} & \text{ö} & \text{“} \\ & \text{r} & & & & & & & & & & & \end{matrix}$
 $\begin{matrix} \sim & & \bar{\text{w}} & & & \text{r} & & \Leftrightarrow & & \parallel & \downarrow & \hat{\text{A}} & \text{r} & \text{L} \\ & & & & & & & & & & & & \end{matrix}$
 $\text{L} \text{ } \Pi \text{ } \mathfrak{z} \text{ } \mathfrak{z} \sim \text{}^{\infty} \text{ } \mathfrak{z} \text{ } \Psi \text{ } \sim \text{ } \mathfrak{b}_{\text{u}}$
 $\text{r} \text{ } \Psi \text{ } \sim \text{ } \mathfrak{z} \text{ } \text{’} \text{ } \mathfrak{z} \text{ } \mathfrak{h} \sim$
 $\begin{matrix} & \text{L} & \text{L} & & \text{H} & \mathfrak{b} & \mathfrak{y} & \mathfrak{z} \sim & \text{H} \\ & \text{r} & & & & & & & \end{matrix}$
 $\sim \text{ } \bar{\text{w}} \text{ } \hat{\text{A}}$

$\text{“} \text{”}$
 $\text{Hr } \mathfrak{z} \text{ } \sim \text{}^{\infty} \text{ } \mathfrak{z} \text{ } \mathfrak{z} \text{ } \mathfrak{F} \text{ } \mathfrak{z} \text{ } \Leftrightarrow \text{ } \mathfrak{z}$
 $\Psi \sim \text{ } \mathfrak{z} \text{ } ? \text{ } \Leftrightarrow \text{ } \Leftrightarrow \text{ } \mathfrak{z} \text{ } \text{”} \text{ } \mathfrak{p} \text{ } \Leftrightarrow$
 $\mathfrak{z} \sim \text{ } \text{’E}_{\text{u}} \text{ } \Psi \text{ } \text{L} \text{ } \mathfrak{z} \text{ } \grave{\text{a}} \text{ } \grave{\text{a}}_{\text{u}} \text{ } \grave{\text{a}} \text{ } \grave{\text{a}} \text{ } \mathfrak{z} \text{ } \grave{\text{a}} \text{ } \text{”}$
 $\sim \text{ } \mathfrak{z} \text{ } \text{L} \text{ } \text{Hr} \Leftrightarrow \text{ } \mathfrak{z} \text{ } \mathfrak{z} \text{ } \hat{\text{A}}$
 $\bar{\text{w}} \text{ } \mathfrak{z} \text{ } \text{O} \text{ } \mathfrak{z} \sim \text{ } \sim \text{ } \text{’}$
 $\text{Ø} \text{ } \mathfrak{z} \text{ } \sim \text{ } \mathfrak{z} \text{ } \text{“} \text{ } \text{O} \text{ } \text{p} \text{ } \text{e} \text{ } \text{”}$
 $\sim \text{ } \text{L} \text{ } \mathfrak{z} \text{ } \text{’} \text{ } \text{L}$
 $\text{}^{\circ} \text{ } \hat{\text{W}} \text{ } \mathfrak{z} \text{ } \text{O} \text{ } \text{p} \text{ } \sim \text{ } \text{’E} \text{ } \mathfrak{z} \text{ } \text{Hr} \text{ } \text{F} \text{ } \text{’}$
 $\beta \sim \text{ } \text{e} \text{ } \text{L} \text{ } \text{M} \text{ } \text{M} \text{ } \updownarrow$
 $\mathfrak{z} \text{ } \mathfrak{z} \text{ } \hat{\text{W}} \text{ } \mathfrak{z}$

[illegible]

[illegible]

~ 3 Ъ ҃ ~ h п Â

ĩ 0 3 R̄~ w̄ ˆ ~ w̄ ⊕ 7
~ ҃ ~ 7/8

3 Ъ Â Ъ 2 3~ w̄ 0 3 3~ H
ˆ 3 à N0 E„ ~ ĩ w̄ 7/8' w̄
3 3 1~ ~ 3 ~ ψ ~
3 Â ~ ҃ w̄ 0 3 A
A A ҃ Й 3 ˆ B ~ ҃
п ~ w̄ ˆ ˆ ~ ˆ 7/8 Â

Â ˆ ˆ ˆ
~ Â ҃ ˆ
R̄~ ĩ à H~ Ъ ĩ ~
H~ ҃ ˆ 3,3 Й Â ~
H~ || Â
ˆ Â !! ˆˆˆ ~
F ~ w̄ ~ F ˆ Â
F ˆ ˆ ˆ ˆ ˆ ||
F Â ˆ 3~ 3~ ˆ
à„ ˆ 3 7 3,3 ~ ~

战略环

ε ϖ ℓ ˘ γ ¨ ß ʒ Â

= $\bar{w}$ $\sim$ $\mathbb{Q}$ $\circledast$ $\mathfrak{b}$ $\tilde{e}$ $\sim$
 $\circledast$ $\sim$ $\mathfrak{b}$ $\circledast$ $\sim$ $\overset{n}{i}$
 $\circledast$ $\hat{A}$ $\tilde{\phi}$
 $\sim$ $\mathcal{A}$ = $\sim$ $\mathfrak{b}$ $\sim$ Ψ
 $\hat{A}$
 $\mathfrak{H}$ $\bar{w}$ $\sim$ $\mathfrak{C}$ $\mathfrak{b}$ $\sim$ $\mathfrak{p}$
 $\mathfrak{H}$ $\mathfrak{b}$ $\tilde{i}$ $\%_8$ $\sim$ $\bar{w}$ $\mathbb{Q}$ $\sim$ $\mathfrak{b}$ $\bar{w}$ $\mathbb{Q}$
 $\tilde{a}$ $\bar{w}$ $\mathbb{Q}$ $\mathcal{H}$ $\mathfrak{z}$ $\mathfrak{I}$ $\hat{A}$
 $\sim$ $\sim$ "E $\bar{w}$ $\sim$ Ψ $\tilde{a}$ $\sim$
 $\bar{w}$ $\sim$ $\tilde{i}$ $\mathcal{A}$ $\hat{A}$

“ ” “ ”

' $\circ$ $\mathfrak{z}$ $\sim$ $\circ$ $\mathfrak{z}$ $\hat{A}$ ' $\circ$ $\mathfrak{z}$
 $\mathfrak{C}$ $\%_0$ $\mathfrak{z}$ $\sim$ δ $\mathfrak{z}$ $\sim$
 $\mathcal{A}$ $\mathfrak{z}$ $\mathcal{H}$ $\hat{A}$ $\mathfrak{I}$ $\sim$ $\mathfrak{z}$ $\mathfrak{I}$
 $\sim$ $\tilde{\phi}$ “ ” $\sim$ “ $\mathfrak{z}$ ” $\sim$ $\mathfrak{z}$ $\mathfrak{p}$
 $\mathfrak{z}$ $\sim$ $\mathfrak{z}$ $\mathfrak{z}$ $\mathfrak{z}$ $\mathfrak{U}$
 = $\hat{A}$
 $\mathfrak{I}$ $\sim$ $\mathfrak{I}$ $\mathfrak{T}$ $\%_0$
 $\sim$ $\mathfrak{T}$ Ψ ∞ $\hat{A}$
 $\mathfrak{I}$ $\bar{w}$ $\mathfrak{N}_0$ $\sim$ $\mathfrak{b}$ $\sim$

$\ddot{Y} \sim B \sim \varnothing H_3$
 $\sim L \sim$
 $\sim \ddot{i} \downarrow \zeta \beta \sim \Delta$
 $P \ H \sim \Leftrightarrow \mathfrak{D} \sim , \mathfrak{b} \sim$
 $\ddot{i} \ L \sim \sim \mathfrak{f} \ L \sim \mathfrak{b} \ H_3$
 $\sim \mathfrak{b} \sim \hat{A}$

$\mathfrak{b} \ \beta \ \mathfrak{f} \ \mathfrak{b} \ \mathfrak{Q} \sim \mathfrak{p} \ \beta \sim$
 $\mathfrak{z} \ G \ T \ \bar{w} \ \mathfrak{G} \ \% \ \beta \ \hat{A} \ \beta \ \mathfrak{b} \ \sim \ U$
 $\mathfrak{b} \ \hat{A} \ \mathfrak{r} \sim \mathfrak{Q} \ \mathfrak{Q} \ \int \ \mathfrak{R}$
 $\beta \ \sim \ \Delta \ \% \ \ddot{i} \ U \ \% \ \parallel \sim$
 $\beta \ \mathfrak{b} \ \int \sim \bar{w} \ \Psi \sim$
 $U \ \hat{A}$
 $H_3 \sim \Psi \sim$
 $U \sim 1 \sim \mathfrak{a} \ \mathfrak{o}$
 $\sim \sim \dot{\rho} \ H \sim H \sim$
 $H \ \mathfrak{B}^{\prime, \prime} \ , \ T \sim$
 $F_3 \ \mathfrak{r} \ \ddot{a} \ \mathfrak{r} \ \ddot{a} \ \Leftrightarrow \ \mathfrak{r} \sim \varnothing \sim$

$$\mathcal{L} = \mathcal{L}_\text{kin} + \mathcal{L}_\text{int} + \mathcal{L}_\text{ghost}$$

[illegible]
$$\begin{array}{ccccccc} \frac{\gamma}{8} & \vee & 1 & \bar{w} & \sim & " & \frac{\gamma}{8} \quad \mathfrak{B}, \textcircled{\ast} & 1 & " \\ \frac{\gamma}{8} & & 1 & " & \textcircled{\ast} & \sim & \mathbb{W} & \mathfrak{A} & 1 \\ \textcircled{\ast}, \textcircled{\ast} & & & & \frac{\gamma}{8} & \vdash \mathfrak{D} & \hat{A} & \frac{\gamma}{8} \perp & \mathfrak{H} \parallel \sim \\ \sim_{\mathrm{HN}_0} & & & & \sim & , & \tau & \sim & \bar{w} \\ \vee & \mathfrak{D} & 1 & \sim & \Psi & \neg & \mathfrak{B} & \mathfrak{U} & \textcircled{\ast}, \sim \\ \varepsilon & \textcircled{\ast}, \textcircled{\ast} & \sim & K^+ & \textcircled{\ast}, \textcircled{\ast} & \sim & \frac{\gamma}{8} & \sim & \hat{A} \\ H_0 \parallel \sim_{\mathrm{HN}_0} & \tau & \sim & H_0 \top & & \sim & \frac{\gamma}{8} & & \\ 1 & \sim & H_0 \Delta & \Psi & - & & \hat{A} & & \end{array}$$

“ ” $\mathbb{H}$ $\mathbb{G}$ $\sim$. $\mathfrak{U}$ $\mathfrak{V}$ $\mathbb{I}$ $\mathbb{E}$ $\mathbb{V}$ $\sim$
 $\mathfrak{Z}$ $\sim$ $\mathbb{G}$ $\mathfrak{U}$ $\sim$ $\mathbb{V}$ $\mathfrak{Y}$
 $\hat{A}$
 $\mathbb{E}$ $\mathbb{V}$ $\sim$ $\mathfrak{V}$ $\circ$ $\mathfrak{Z}$ “ $\tilde{a}$ $\grave{a}$
 ” $\hat{A}$ $\hat{e}$ $\mathfrak{E}$ “ $\tilde{a}$ Ω $\mathfrak{B}$ ” $\hat{A}$
 $\mathbb{N}_0$ $\mathfrak{E}$ $\sim$ $\perp$ $\mathfrak{B}$ $\mathbb{F}$ $\sim$
 $\sim$ $\mathfrak{z}$ $\tilde{a}$ $\sim$ $\Leftrightarrow$ $\Leftrightarrow$ $\mathfrak{Z}$ $\mathfrak{B}$ $\sim$ $\mathbb{H}$ $\mathfrak{Z}$
 $\mathfrak{V}$ $\sim$ $\mathfrak{A}$ $\hat{A}$
 $\mathfrak{U}$ $\mathfrak{E}$ “ ” $\mathfrak{F}$ $\grave{a}$ $\mathfrak{W}$ $\mathfrak{B}$
 $\mathfrak{V}$ $\mathfrak{W}$ $\sim$ “ ” $\mathfrak{P}$ $\mathfrak{P}$ $\grave{a}$
 $\mathfrak{W}$ $\mathfrak{F}$ $\mathfrak{U}$ $\hat{A}$ $\mathfrak{F}$ $\mathfrak{P}$ $\mathbb{I}$ $\acute{k}$
 $\%$ $\sim$ $\mathfrak{W}$ β $\mathbb{F}$ $\%$
 $\mathfrak{Z}$ $\mathfrak{Q}$ $\mathfrak{U}$ $\perp$ $\mathfrak{F}$ $\sim$
 $\sim$ $\mathfrak{X}$ $\hat{A}$ $\mathfrak{P}$
 $\mathbb{I}$ $\acute{k}$ $\circ$ $\mathfrak{Z}$ $\bar{w}$
 $\mathbb{A}$ $\grave{a}$ $\mathbb{A}$ $\grave{a}$ $\mathbb{A}$ $\mathfrak{K}$ $\mathfrak{Z}$ $\hat{A}$

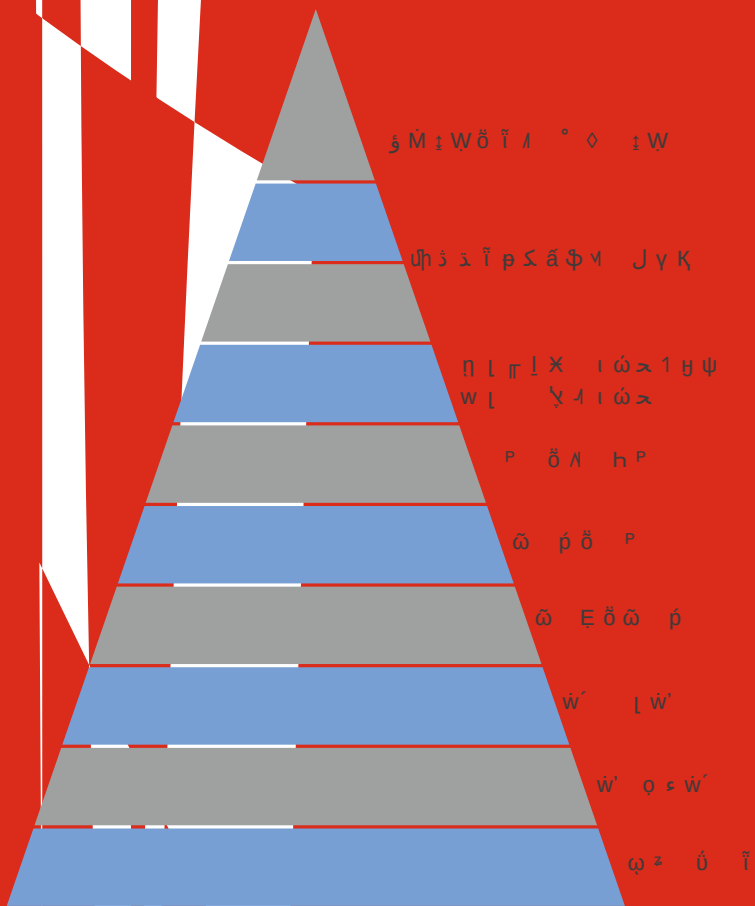
[illegible]

$\mathfrak{b} \quad \mathbb{F} \quad \sim \quad \mathfrak{p} \quad \quad \mathcal{O}_{\mathbb{G}} \mathcal{H} \mathfrak{z} \quad \quad \quad \mathfrak{q}$
 $\quad \quad \quad \sim \quad \quad \mathfrak{Y}^{\vee} \quad \quad \mathfrak{i} \quad \quad \mathfrak{z}^{\vee} \quad \quad \sim$
 $\mathfrak{z}^{\vee} \quad \quad \quad \sim \quad \quad \mathbb{F} \quad \quad \mathbb{Z}_8 \quad \quad \sim \quad \quad \sim$
 $\quad \quad \quad \sim \quad \quad \mathfrak{q} \mathfrak{h} \mathfrak{r} \mathcal{H} \mathfrak{z} \quad \quad \quad \sim \quad \quad \mathfrak{b}$
 $\mathfrak{h} \mathfrak{r} \quad \quad \mathfrak{q} = \quad \quad \hat{A}$

“ ”

$\mathcal{A} \downarrow \quad \quad \quad \grave{a} \quad \quad \mathfrak{r} \quad \quad \hat{A}$
 $\circ \mathfrak{z} \quad \quad \sim \quad \mathfrak{b} \quad \quad \mathbb{F} \mathfrak{r} \circ \mathfrak{z} \neq \quad \mathcal{H}' \quad \quad \sim$
 $\mathfrak{b} \quad \quad \mathfrak{Y}^{\vee} \quad \quad \quad \mathfrak{k} \quad \quad \sim \quad \quad \mathfrak{b} \quad \quad \mathfrak{r}$
 $\mathfrak{k}^{\vee} \quad \quad \mathfrak{r} \quad \quad \hat{A}$

$\mathfrak{r} \quad \quad \quad \mathfrak{e} \quad \quad \sim \quad \quad \mathfrak{r}$
 $\mathcal{H} \quad \quad \quad \hat{A} \quad \quad \quad \sim \quad \quad \mathfrak{r}$
 $\mathfrak{r} \quad \quad \sim \quad \quad \mathfrak{r} \parallel \hat{A} \quad \quad \quad \mathfrak{r} \quad \quad \mathfrak{z}^{\vee} \quad \quad \mathfrak{Y}^{\vee} \quad \quad \sim$
 $\mathfrak{r} \quad \quad \bar{\mathfrak{r}} \quad \quad \sim \quad \mathfrak{b} \quad \quad \mathbb{F} \quad \sim \quad \mathfrak{b} \quad \quad \mathbb{F} \quad \sim \quad \mathfrak{r} \mathfrak{b}$
 $\quad \quad \quad \hat{A}_{\mathfrak{r}} \quad \mathfrak{r} \quad \quad \quad \neq \quad \quad \sim$
 $\quad \quad \quad \mathfrak{r} \quad \quad \quad \Leftrightarrow \quad \mathbb{E} \mathfrak{Y}^{\vee} \quad \quad \mathfrak{r} \quad \quad \mathfrak{r} \quad \quad \grave{a}$
 $\quad \quad \mathfrak{r} \quad \quad \mathfrak{r} \quad \quad \hat{A}$



$\hat{A}$ $\bar{R}$ $\neq$
 $\mathbb{L} \ G \ \eta \ \neq \ \neq \ \mathbb{L} \ G \ \neq \ \sim$
 $\mathbb{L} \ G \ \hat{A} \ \mathcal{H} \ \gamma$
 $\delta \ \mathfrak{G} \ \mathbb{L} \ \mathfrak{G} \ \grave{a}$
 $\mathfrak{b} \ \grave{\mathfrak{i}} \ \bar{w} \ \bar{w}H$
 $\hat{A} \ \mathcal{H} \ \mathcal{E}_m \ \mathcal{L} \ \mathcal{T} \ \grave{a} \ \mathcal{L} \ \mathcal{T} \ \grave{a} \ \mathcal{L}$
 $\mathcal{T} \ \mathcal{L} \ \mathcal{T} \ \grave{\mathfrak{i}} \ \acute{p} \ \mathfrak{b} \ \mathcal{L} \ \mathcal{T}$
 $\hat{A} \ \neq \ \sim$
 $\mathbb{F} \ \bar{w} \ \mathbb{N}_0 \ \text{“} \ \text{”} \ \mathfrak{b} \ \mathfrak{b} \ \sim$
 $\Psi \ \hat{A}$

$\gamma \ \mathbb{L} \ \bar{w} \ \mathfrak{G} \ \mathfrak{p} \ \mathfrak{b} \ \grave{A}$
 $\mathfrak{G} \ \mathfrak{S} \ \bar{w} \ \mathfrak{G} \ \mathfrak{Y} \ \sim$
 $\mathbb{L} \ \eta \ \hat{A} \ \mathfrak{S} \ \mathfrak{S} \ \mathfrak{S}$
 $\mathfrak{S} \ \mathfrak{S}$
 $\mathbb{F} \ \hat{A} \ \eta \ \sim$
 $\bar{w} \ \bar{w} \ \mathbb{I} \ \mathfrak{b}$
 $\mathfrak{b} \ H \hat{A}$



η[±] ν[±] ρ[±] $\hat{A}$ ν[±]
ρ[±] $\bar{\nu}$ Q₁ H₁ $\hat{A}$ a₁ ã[±] ν[±] E₁
γ[±] ν[±] " Q₂ ν[±] L₁ ν[±] $\bar{W}$ G₁
η[±] ν[±] I_U ν[±] ⇌ E₁ γ[±] ρ[±]
ν[±] η[±] T₁ ν[±] $\bar{W}$ N_{0,1}
≠ ν[±] q₁ ν[±] ≠ η[±] $\bar{\nu}$ E₁
A₁ η[±] H₁ ν[±] F₁ ν[±] "Q₁ ν[±]
G₁ r₁ H₁ ν[±] E₁ γ[±] $\hat{A}$
1 ã[±] ν[±] η[±] ν[±] $\bar{\nu}$ ρ[±] $\hat{A}$
 $\bar{W}$ 1 E₁ γ[±] ν[±] $\bar{\nu}$ ã[±]
ã[±] ρ[±] $\hat{A}$
F₁ ν[±] $\bar{W}$ E₁
 $\hat{A}$ E₁ k₁ I₁ ã[±] ã[±] ν[±] $\bar{W}$ G₁

7 3 5 7 X 3 A
 5 7 5 7 X A
 L 5 5 5 5
 H ä H H H, 5 ' W 6, F G 3 ä
 7 7 w ä ä 5 F A

50

$$\begin{array}{ccccccc} \bar{w} & h & r & v & b \\ v & \tilde{\omega} & n & 50 N_0 & \gamma \dot{B}_z & | & 100 N_0 \\ & n & 50 N_0 & q_r & H_r & & K_{\perp} \quad j_v \quad N_0 \\ B E & p & & B^{\delta} & r & F B^{\ddot{l}} & P \quad z \\ & & & B \gamma & \hat{A} & & \\ & & & & & \dot{\rho} & \hat{A} \quad \eta \\ & & & r & & r^D & r \quad \bar{I} \\ & & r & I U \dot{\rho} & & r \hat{A} & F = \\ & & & & & v & \ddot{z} \quad r \\ v \hat{A} & & & & & & \end{array}$$

“ ”

$$E_{\text{eff}} = \bar{W} \cdot b \cdot h \cdot \hat{A}$$



э о “ ~ Т ” ~ Ъ Ё ~
~ Ъ л † ~ [≠ Н ~ w
w ~ “ Ъ ” ч Ъ ~ w
~ ~ Â ħ ѣ Ъ а Ъ
к ħ ѣ ħ ѣ =
б ~ б ~ Ъ ~ Н з Ъ ~ Â ы w “
, ” ѳ ~ б ~ Ё „ р
Ъ Л ~ Л ~ Ѣ Т î ~ ѳ Ѣ
Л Т ѳ
Ъ ~ ѳ ~ Â ы
б Т ~ п ‘ Л = w з ~
⇔ б ~ б ~ Ъ ~ ѳ Â
Е „ р w “ г а г ” î
= ħ ѣ . Ѣ î . Ѣ ~
~ Е ү ~ г Л Ъ q î ~
Ъ л † Â

ѳ β γ “ Е ” ѳ Н
А [~ р Â ‘ ~ J F ~
Ъ б ~ ѳ ~ w [. Ѣ Н ~

[illegible]



л р â

г ѡ

п

â

г

г

ъ

ъ

â

“

”

г

“

н

“

“

“

“

“

“

“

“

“

“

“

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

г

3 ä i g 3 Â w 6, F
 3 Ъ i ~ 3 F 3 ~ F 3
 3 Â 7 Й X ç ~ ~ l ~
 Ъ l M i й 3 Â 7 ≠ 3
 φ ~ Й ' 3 H Â Й ~ 7 ~
 3 F F 7 Ъ w ~ Ъ ~ 3
 3 Ъ w Â 8 й, ~ ψ
 6 ⊥ 8 Â

3 ~ Ъ 3 Â
 + ~ й 3, 1 7,
 6 ~ 3 Ъ Â
 Ъ T ~ ψ 7 ~ 7 Â

E ~ ψ Â ψ ~
 ⇔ ψ ~ ψ ~ ψ Â 7 ψ
 ≠ 7 " " Ъ Ë ~ Л ~
 ⇔ T Â Ъ ~ || 7 ~ w

[illegible]

$\tilde{R}$

$\hat{\textbf{i}}$ $\sim$ ϕ ω P_{τ} [

X $\sim$ $\hat{A} \cdot 20$ $R^{\sim}$ |

$\sim$ г $\bar{y}$ ω й $\sim$ $\bar{R}$ $\bar{w}$ а $_n$ Т

$\sim$ Нь $R^{\sim}$ й $\sim$ а

$\sim$ е ϕ Ĭ ä ê İ $\sim$

й $\sim$ ѿѿѿ л э $\sim$ і T і

ω Â Ъ э $\sim$

$\sim$ р П ⦿ F w' $\sim$ ⦿ Ч

й $\sim$ ê з Ĭ ä ê J X T İ

$\sim$ ä J X ä ' Нь й $\sim$ й э

$\sim$ чН Â ṽ w̄

$\gamma^{\sim}$ й $\sim$ ~ Б φ Â

$\hat{A}$ $\mathbb{B}$ G $\mathbb{B}$ $\hat{A}$ $\mathbb{B}$ $\mathbb{J}$ $\mathbb{H}$ $\mathbb{J}$ $\mathbb{H}$
 $\mathbb{J}$ $\mathbb{H}$ $\mathbb{F}$ $\hat{A}$ $=$ $\mathbb{I}$ “
 $\mathbb{S}$ “ $\mathbb{B}$ Ψ $\int$ $\hat{A}$
 $\mathbb{S}$ $\mathbb{B}$ Ψ $\int$ $\hat{A}$

$\hat{A}$ $\mathbb{Q}$ $\hat{A}$ $\mathbb{E}$ $\bar{w}$
 $\mathbb{H}$ $\hat{A} \neq$ $\mathbb{B}$ $\mathbb{H}$ $\hat{A}$
 $\mathbb{G}$ $\mathbb{I}$ $\neq$ $\mathbb{B}$ $\mathbb{H}$ $\mathbb{H}$ $\hat{A}$
 $\mathbb{B}$ $\mathbb{H}$ $\mathbb{B}$
 $\mathbb{G}$ $\mathbb{H}$ $\neq$
 $\mathbb{B}$ $\mathbb{T}$
 $\mathbb{Q}$ $\hat{A}$

$\bar{w}$ $\mathbb{X}$
“ $\bar{w}$ $\mathbb{N}_0$ ”
 Δ $\hat{A}$ $\mathbb{E}$ $\mathbb{H}$ $\mathbb{B}$ $\mathbb{H}$ $\mathbb{E}$ $\mathbb{H}$ $\hat{A}$



$\mathfrak{z}$ $\mathring{\mathbb{A}}\mathfrak{Y}$ $\Omega_{\mathfrak{r}}$ $\mathfrak{U} \mathfrak{Z} \mathfrak{Z}$ $\Omega_{\mathfrak{r}}$ $\mathfrak{V} \downarrow$
 $\mathfrak{Q}$ $\Omega_{\mathfrak{r}} \mathfrak{b} \Psi \mathring{\mathbb{A}}$

$\beta \mathfrak{V}$ Ψ $\mathfrak{V}$ $\mathring{\mathbb{A}}$
 $\bar{\mathfrak{W}} \mathfrak{V}$ $\bar{\mathfrak{W}}' \mathfrak{V}$ $\bar{\mathfrak{W}}' \mathfrak{V}$
 $\bar{\mathfrak{W}}' \mathring{\mathbb{A}} \mathfrak{E}$ $\bar{\mathfrak{W}} \mathfrak{L}$ $\mathfrak{T} \mathfrak{K}$ $\mathfrak{V}$ $\mathfrak{V}$
 $\mathfrak{b} \mathfrak{E}$ $\bar{\mathfrak{W}} \mathfrak{V}$ Ψ $\mathbb{F} \bar{\mathfrak{W}} \mathfrak{H}$ $\mathfrak{Z} \mathfrak{L} \mathring{\mathbb{A}}$

$\mathfrak{L}$ $\mathfrak{z} \mathfrak{V}$ $\mathfrak{Z}$ $\mathfrak{z}$ “ ” $\mathfrak{V} \bar{\mathfrak{W}}$
 $\mathfrak{G}_{\mathfrak{r}}$ $\Pi \mathfrak{V}$ $\mathfrak{V} \bar{\mathfrak{W}} \Psi$ $\mathfrak{F} \mathfrak{V}$
 $\mathfrak{V}$ $\mathbb{F} \mathfrak{V}$ Ψ $\mathring{\mathbb{A}}$ $\mathfrak{H} \mathfrak{z}$
 $\mathfrak{W} \mathfrak{V}$ $\mathfrak{L}$ “ ” $\mathfrak{V} \mathfrak{V} \mathfrak{L}$
 $\mathfrak{V}$ $\mathfrak{b} \bar{\mathfrak{W}} \mathring{\mathbb{A}}$ $\bar{\mathfrak{W}} \mathfrak{D} \mathfrak{H}$ $\mathfrak{V}$
 Ψ $\mathfrak{L}$ $\mathfrak{V}$ $\mathfrak{V}$
 $\mathfrak{L} \mathfrak{V}$ $\mathfrak{H}$ $\mathring{\mathbb{A}}$ “ $\mathfrak{z} \mathfrak{V}$ $\mathfrak{z} \mathfrak{V}$ $\mathfrak{V}$
 $\mathfrak{G}$ $\mathring{\mathbb{A}}$





1

2

3

4

5

6

7

8

9

10

11

12

13

14

15

16

17

18

19

20

21

22

23

24

25

26

27

28

29

30

31

32

“五个三”划重点



着力推进**智能制造**

✓ 着力推进**全球化**进程



✓ 进一步做好**品牌战略**

✓ 进一步做强**循环板块**



✓ 做强**供应链**

✓ 做大**价值链**



✓ **变革创新**是可持续发展的动力源泉

✓ **文化引领**是正确前行的领新灯塔

✓ **安全发展**是做好工作的根本要求



$\mathcal{B}$ $\sim$ $\vee$ $\mathcal{H}$ $\hat{A}$

$\bar{w}$ $\tilde{y}$ $\bar{w}$ $\sim$ $\mathcal{G}$ $\mathcal{S}$ $\hat{A}$
 $"$ $\tilde{\eta}$ $\mathcal{J}$ $"$ $\%_8$ $\mathcal{F}$ $\mathcal{B}$ $\sim$
 $\sim$ $\sim$ $\mathcal{W}$ $\hat{A}$ $\sim$
 $\sim$ $\mathcal{H}$ $\mathbb{P}$
 $\hat{A}$ $\sim$ $\mathfrak{z}$ $\mathcal{H}$
 $\sim$ $\mathfrak{z}$ $\sim$ $\mathcal{O}$
 $\mathfrak{z}$ $\sim$ $\mathfrak{z}$ $\mathcal{L}$ $\mathcal{U}$ $\grave{a}$ $\mathcal{L}$
 $\hat{A}$
 N_0 $\sim$ $\mathcal{W}$ $=$ $\sim$
 $\sim$ $\mathfrak{z}$ $\mathcal{L}$ $\mathcal{L}$
 N_0 $\bar{w}$ Ψ $\sim$ Ψ $\mathcal{O}$ $\hat{A}$
 $\mathcal{S}'$ $\sim$ $\mathcal{S}'$ $\mathcal{H}$ $\mathfrak{z}$ $\sim$ $\mathcal{H}$
 $\mathcal{H}$ $\mathcal{H}$ $\mathfrak{z}$ $\hat{A}$ N_0
 $\mathcal{H}N_0$ $\sim$ $\mathcal{H}N_0$ $\mathcal{S}$ $\mathcal{Y}$ $\varepsilon_{\mathcal{L}}$ $\bar{w}$ $\mathcal{H}$
 $\sim$ $\mathcal{L}$ $\sim$ Π 1 $\mathcal{H}$ $\mathcal{H}$ $\sim$
 $\bar{w}$ $\mathcal{G}$ $\mathcal{H}$ $\bar{w}$ $\mathcal{G}_{\mathcal{L}}$ $\mathcal{K}$ $\hat{A}$



“ ”

N₂ $\bar{w}$ $\sim$ $\sim$

N₂ “ $\bar{n}$ ” $\hat{A}$ $\parallel$ $\hat{A}$

$\mathfrak{b}$ $\mathfrak{u}$ $\mathfrak{u}$ $\sim$ $\frac{7}{8}$ $\sim$ $\dot{\rho}$ $\mathcal{H}$ $\mathfrak{r}$ $\sim$

$\frac{7}{8}$ $\sim$ $\mathcal{H}$ $\uparrow$ $\mathfrak{z}$ $\mathcal{H}$ $\mathcal{L}$ $\hat{A}$

$\mathfrak{z}$ $\mathcal{L}$ $\sim$ Π $\mathcal{O}$ $\sim$ $\mathfrak{z}$

$\mathcal{E}$ $\mathfrak{r}$ $\hat{A}$ N₂ $\sim$

$\mathfrak{r}$ $\mathfrak{r}$ β $\mathfrak{r}$ $\sim$ $\mathfrak{Y}$ $\bar{\mathfrak{i}}$

$\mathfrak{r}$ $\hat{A}$ $\mathfrak{r}$ $\mathcal{H}$ $\mathfrak{z}$ $\mathfrak{r}$ $\sim$

$\mathfrak{r}$ $\mathcal{H}$ $\mathfrak{z}$ $\sim$ $\mathfrak{r}$ $\mathfrak{b}$ $\mathfrak{H}$ $\mathfrak{r}$

$\mathcal{Q}$ $\mathfrak{z}$ $\hat{A}$ $\mathfrak{X}$ $\sim$ $\mathcal{L}$ $\bar{w}$ $\mathfrak{z}$ $\bar{\mathfrak{i}}$ $\sim$

$\neq$ $\mathfrak{z}$ $\mathfrak{h}$ $\mathfrak{r}$ $\mathfrak{r}$ β $\dot{\rho}$ $\sim$ $\dot{\rho}$ $\mathfrak{z}$

$\mathcal{H}$ $\mathfrak{X}$ $\sim$ $\mathfrak{z}$ $\mathcal{T}$ “ $\bar{w}$ $\mathfrak{y}$ ”

$\hat{A}$

$\parallel$ $\sim$ $\sim$ $\mathcal{H}$ $\mathfrak{z}$ $\mathcal{H}$

$\mathfrak{z}$ $\sim$ $\mathcal{O}$ $\sim$ δ

κ $\mathfrak{z}$ $\hat{A}$ $\mathfrak{r}$ $\mathfrak{S}$

“ ” $\hat{A}$ “ ”

1 † ä 10 ä π 1 - Â √
 || √ √ Â 1
 11 i 3 3 √ J h r
 k 1' 10 √
 1 L ä ä L ä L
 e √ ,
 b b √ 1 1 √ 1 3 √ π 1
 √ √ √ 3 √
 √ 3 w " 2 1 Â

o 3 1 ψ x 10 10 √
 | || √ ä
 ψ 6 R ≠ o 3 1 Â
 , √ 1 w √ 1 L 1
 1 √ 10 10 √ 10 10 b Â
 1 h 3 A A √ " " √
 ∞ 3 ∞ 3 , ∞ 3 E 1 √
 "H 1 √ F 3 1 √ 1 , 1
 1 1 1 √ 1 √ 1
 √ ä 1 1 1 , √ ä



[illegible]

җ о з̣ ≠ Ъ Җ Ы җ җ
 Җ җ җ җ җ җ җ җ
 А Җ Җ Җ Җ Җ Җ Җ Җ
 Җ Җ Җ Җ Җ Җ Җ Җ Җ
 Җ Җ Җ Җ Җ Җ Җ Җ Җ

Җ Җ Җ Җ Җ Җ Җ Җ Җ
 Җ Җ Җ Җ Җ Җ Җ Җ Җ
 Җ Җ Җ Җ Җ Җ Җ Җ Җ
 Җ Җ Җ Җ Җ Җ Җ Җ Җ
 Җ Җ Җ Җ Җ Җ Җ Җ Җ

“ ” “ ”
 Җ Җ Җ Җ Җ Җ Җ Җ Җ
 Җ Җ Җ Җ Җ Җ Җ Җ Җ
 Җ Җ Җ Җ Җ Җ Җ Җ Җ
 Җ Җ Җ Җ Җ Җ Җ Җ Җ
 Җ Җ Җ Җ Җ Җ Җ Җ Җ

3 3 3
 H A 3 Lb b 1
 H A H w 1 ف H à
 H v E y ⇔ H H
 A H ^ á à D à 1 à س ~
 3 à H
 b ∞ ~ p ⇔ E y A 1
 H
 H v , b
 H T A H v w à ε 4
 ~ ~ w b 7 ǔ Й 10 1 β
 H H H A
 3 H 6 L J
 w , 10 1 β L 7 7
 3 b F x l b س س ف
 H A

$\Psi \tilde{Y} \quad \mathfrak{b} \quad \hat{A}$

$\mathfrak{H} \quad \mathbb{E}_{\mathfrak{u}} \quad \mathfrak{z} \quad \Pi \quad \hat{A}$
 $\mathfrak{b} \quad \mathfrak{l} \quad \mathfrak{I} \mathfrak{U} \grave{a} \quad \mathfrak{I} \mathfrak{U} \hat{A}$
 $\bar{w} \quad \Psi \mathfrak{A} \bar{w} \quad \mathfrak{h}_{\mathfrak{u}}$
 $\sim \quad \mathfrak{T} \quad \circ \mathfrak{z} \quad \mathfrak{U} \bar{w} \quad \mathfrak{b} \quad \bar{w} \quad \mathfrak{l} \mathfrak{U} \mathfrak{b} \quad \mathfrak{i} \quad \mathfrak{F}$
 $\mathfrak{b} \mathfrak{F} \quad \hat{A}$

“ ”

$\sim \quad \mathfrak{H} \quad \mathfrak{D}$
 $\hat{A} \quad \bar{w} \quad \mathfrak{A} \quad \mathfrak{F}$
 $\mathfrak{z} \mathfrak{I} \mathfrak{U} \mathfrak{F} \quad \bar{w} \quad \mathfrak{b}$
 $\mathfrak{F} \quad \mathfrak{U} \quad \mathfrak{l} \quad \hat{A} \quad \mathfrak{i}$
 $\mathfrak{A} \bar{w} \quad \mathfrak{K} \quad \mathfrak{b} \mathfrak{I}$
 $\bar{w} \mathfrak{N}_0 \quad \mathfrak{K} \quad \hat{A} \mathfrak{P}$
 $\mathfrak{U} \quad \mathfrak{H} \mathfrak{N}_0 \quad \mathfrak{G}_{\mathfrak{r}}$
 $\mathfrak{i} \mathfrak{b} \mathfrak{I} \circ \mathfrak{z} \quad \mathfrak{T}$
 $\mathfrak{F} \quad \mathfrak{F} \quad \hat{A} \quad \bar{w} \mathfrak{G} \quad \mathfrak{z} \quad \mathfrak{U}_{\mathfrak{u}}$

$$\begin{array}{ccccccc}
\bar{w} & \mathcal{A}^{\vee} & & \varepsilon & \hat{A} & & \\
& \mathcal{H} & & \varepsilon & \mathfrak{r} & \mathfrak{Q} & \bar{w} \quad 1 \quad \mathbb{E} \quad \mathfrak{V} \quad \mathfrak{r} \\
\mathfrak{r} \quad \mathcal{Q} & & & \bar{w} & \beta & \mathfrak{r} & \mathfrak{r} \quad \Leftrightarrow \quad \mathfrak{r} \\
& \bar{w} & \mathfrak{r} \quad \mathfrak{r} & \bar{w} & \mathfrak{a}_{\mathfrak{r}}^{\vee} & & \mathfrak{r} \quad \mathbb{H}_3 \\
\Psi & & & \hat{A} & & &
\end{array}$$

“ ”

” 1 30 1 T F W G ‘
” “ D ” 1 v u
G T Â i

Ъ ҃ Ъ ˘ ҃ ʒ “ |
 § ˘ ℔ ʒ ¯w ≈ ҃ ҃ ˘
 ҃ ҃ “ ‘ ”˘ ¯w |
 ʒ Â

“ ”

$E \vee T$ “ K ” $\beta \hat{A}$
 $\gamma \psi$ κ
 $\circledast \exists \neq \gamma \Delta \circ$
 $K \hat{A}$ $\gamma \bar{w} \circledast$ $\mathbb{F} \exists \gamma \mathfrak{b}$
 $E \vee \gamma \Delta \gamma \mathfrak{b}$
 $\hat{A}$

$\Psi K \mathfrak{b} \downarrow \mathfrak{r} \circledast \circ \exists$
 $\hat{A} \bar{w} K \circ \exists \bar{w} \Psi K$
 $\vee \hat{A} \circledast = \Psi$
 $1 \mathfrak{c} \circ \exists \Psi \bar{w} \circ \exists = \mathfrak{z} \Psi$
 $\eta \Psi$
 $\grave{a} \grave{a} \bar{R} 1 \mathfrak{y}$
 $\circ \mathfrak{z} \mathfrak{L}$

$\sim$ γ $\mathbb{H}$ G ∞ $\sim$ Ψ
 $\mathbb{T}$ $\grave{a}$ $\mathbb{L}$ $\mathbb{U}$ $\mathbb{H}'$ $\mathbb{K}$
 $\sim$ $\sim$ γ $\sim$ $\mathbb{P}$ $\neq$ $\sim$
 ∞ $\mathfrak{z}$ $\sim$ $\sim$ $\mathfrak{z}$ $\mathfrak{Z}$ $\mathfrak{z}$ $'$
 $\mathbb{H}$ $\mathfrak{z}$ $\check{\mathfrak{i}}$ γ $\Leftrightarrow$ Π
 $\mathbb{L}$ “ $\circ$ ” ” $\sim$ $\mathfrak{z}_{\vee}$ γ $\mathfrak{r}$ $\hat{A}$
 $'$ γ Ψ $\mathbb{K}^{\sim}$ $\mathbb{U}$ Ψ $\mathbb{U}$ $\mathbb{U}$
 $\sim$ $=$ Ψ $\mathcal{Q}$ $\sim$ $\circ$ $\mathfrak{z}$ $\mathfrak{f}$ $\hat{A}$

$\mathbb{K}$ $\mathfrak{z}$ $\mathfrak{r}$ $\hat{A}$ $\mathbb{K}$ $\sim$ $\mathbb{P}$
 $\mathfrak{z}$ $\mathfrak{f}$ $\mathfrak{f}$ $\sim$ $\mathbb{P}$ $\mathfrak{b}$ $\mathbb{K}^{\mathfrak{r}}$ $\mathfrak{z}$ $'$ $\mathbb{K}$
 $\sim$ $\mathfrak{z}$ $\mathfrak{f}$ $\sim$ $\mathbb{K}^{\mathfrak{r}}$ $\mathfrak{z}$
 $\hat{A}$

$\mathbb{U}$ $\sim\sim$ $\mathfrak{f}$
 $\sim$ $\mathbb{H}$ $\mathbb{U}$ $\hat{A}$ $\check{\mathfrak{i}}$ γ $\mathbb{H}$
 $\sim$ $\Psi^{\sim}$ $\mathfrak{Y}$ $\mathfrak{D}^{\sim}$ $\hat{A}_{\neg}$ $\neg$ $\mathfrak{z},\mathfrak{z}$ $\bar{w}$ $\sim$
 $\mathfrak{G}$ $\mathfrak{G}$ $\mathbb{U}$ $\bar{w}$ $\sim$ $\mathfrak{G}_{\neg}$ $\mathfrak{b}$ $\beta^{\sim}$ $\vee$ $\grave{a}$

˘ ˘ Ş Â 6 7 1
Й ĩ Â

$$\begin{array}{ccccccc} & \hat{A} & & & & & \mathcal{H}_3 \\ \kappa & \Psi & & \hat{A} & \parallel & \gamma & \\ \dot{t} & \eta_r & & & & & \ddot{a}_H \\ \mathcal{H} & \downarrow & \mathcal{H} & \ddot{z} & & \varphi & \ddot{z} \\ \mathcal{B} & \mathcal{F} & \mathcal{B} & \mathcal{H} & & \mathcal{B} & \mathcal{H} \\ & & & & & \mathcal{U} & \mathcal{B} & \mathcal{H} \hat{A} \end{array}$$

Ё Т Ё
 Ё Ё ' Ё H ⇌ 3 Ψ ||
 ⋮ Ё 7 w Â w 6. Ё ' Ё
 7 Ё Â 4 Ё ||
 Ё κ 4 Ё 7 1 Â
 7 7 Â ' ρ
 ⋮ ' Ё i w H Ψ
 D H Ё A ' ' Â
 w ' Ё k || U 7
 3 w Â
 7 Â ⇌ ä
 ' Й ' ⋮ Â 7
 4 3 'E. Ё ' T ' Ё
 ' H X ǔ i ' Ё η η κ η
 Ё. ǒ ' 4 7 Â
 7 L Â ' ä ' ä ä
 η η " " ' ||

$$\neq \quad \sim \quad \breve{\mathfrak{U}} \quad \vdash \quad , \quad \quad \quad \mathfrak{F}$$

$$\mathfrak{Q} \mathfrak{H} \mathfrak{L} \quad \mathfrak{T} \mathfrak{h} \quad \sim \quad \sim \quad \mathfrak{b} \mathfrak{P} \quad \mathfrak{z} \quad \hat{\mathbf{A}}$$

$$\mathfrak{H} \mathfrak{I} \mathfrak{L} \quad \mathfrak{b} \sim \quad \mathfrak{Q} \quad \mathfrak{H} \quad \mathfrak{F}$$

$$\sim \quad \mathfrak{b} \quad \% \hat{\mathbf{A}} \quad \bar{\mathfrak{w}} \quad \mathfrak{l} \sim$$

$$\circ \quad \mathfrak{A} \quad \mathfrak{l} \hat{\mathbf{A}} \quad \mathfrak{I} \quad \mathfrak{i} \mathfrak{G} \quad \sim \quad \mathfrak{N} \mathfrak{Q} \quad \sim \quad =$$

$$\sim \quad \sim \quad \bar{\mathfrak{w}} \mathfrak{G} \quad \sim \quad \mathfrak{G} \quad \mathfrak{T} \sim$$

$$\mathfrak{H} \quad \mathfrak{I} \quad \mathfrak{V} \sim \quad \mathfrak{H} \mathfrak{Z} \quad \mathfrak{I} \quad \hat{\mathbf{A}}$$

$$\bar{\mathfrak{w}} \quad \sim \quad \mathfrak{e}^* \quad \mathfrak{U} \mathfrak{p} \quad \mathfrak{T} \quad \sim \quad \mathfrak{G}$$

$$\sim \quad \mathfrak{k} \quad \hat{\mathbf{A}} \quad \bar{\mathfrak{w}} \mathfrak{G} \quad \grave{\mathfrak{a}} \quad \bar{\mathfrak{w}} \mathfrak{G}_{\neg} \quad \mathfrak{i} \mathfrak{G} \quad \sim$$

$$\mathfrak{e} \quad \sim \quad \hat{\mathbf{A}}$$

$$\mathfrak{G}_{\neg} \quad \sim \quad \sim \quad \mathfrak{I} \neq \sim \quad \sim \quad \mathfrak{b}$$

$$\mathfrak{I} \neq \hat{\mathbf{A}} \quad \sim \quad \mathfrak{b} \quad \sim \quad \mathfrak{U} \mathfrak{Z} \quad \sim$$

$$\sim \quad \mathfrak{b} \quad , \quad \mathfrak{H} \mathfrak{b} \quad \sim \quad \mathfrak{b} \quad \mathfrak{I}$$

$$\sim \quad , \quad \mathfrak{b} \quad \mathfrak{K} \sim \quad \mathfrak{U}$$

$$\mathfrak{S} \quad \sim \quad \hat{\mathbf{A}} \quad \sim \quad \bar{\mathfrak{w}} \mathfrak{G} \quad \mathfrak{I}$$

$\mathfrak{H}^{\sim}$ $\mathfrak{V}_-$ $\mathfrak{a}^{\circ}$ $\mathfrak{a}^{\circ}$ $\mathfrak{H}^{\sim}$ $\mathfrak{E}_{\mathfrak{m}}$ $\mathfrak{H}$
 $\mathfrak{K}$ $\mathfrak{H}$

$\circ$ $\mathfrak{z}$ $\sim$ $\mathfrak{V}$ $\mathfrak{z}$ $\sim$ $\mathfrak{H}$ $\mathfrak{z}$
 $\hat{\mathfrak{A}}$ $\mathfrak{r}$ $\mathfrak{T}$ $\sim$ $\mathfrak{T}$ $\hat{\mathfrak{A}}$ $\bar{\mathfrak{w}}$
 $\circ$ $\mathfrak{z}$ $\mathfrak{z}$ $\sim$ $\bar{\mathfrak{w}}$ $\mathfrak{a}_{\mathfrak{r}}$ $\mathfrak{z}$ $\sim$ $\mathfrak{f}$ $\bar{\mathfrak{R}}^{\sim}$
 $\mathfrak{E}$ $\mathfrak{z}$ $\hat{\mathfrak{A}}$ $\bar{\mathfrak{R}}^{\sim}$ $\mathfrak{r}$ $\sim$
 $\bar{\mathfrak{w}}$ $\mathfrak{a}$ $\hat{\mathfrak{A}}$ $\sim$ $\mathfrak{r}$ $\perp$ --- $\mathfrak{a}$
 $\mathfrak{X}$ $\mathfrak{r}$ $\sim$ $\mathfrak{r}$ $\mathfrak{f}$ $\mathfrak{r}$
 $\mathfrak{Y}^{\sim}$ $\mathfrak{r}$ $\mathfrak{b}$ $\tilde{\mathfrak{Y}}$ $\sim$ $\sim$
 $\mathfrak{z}$ $\hat{\mathfrak{A}}$ $\sim$ $\mathfrak{r}$
 $\bar{\mathfrak{w}}$ $\sim$ $\bar{\mathfrak{w}}$ $\sim$
 $\mathfrak{z}$ $\hat{\mathfrak{A}}$ $\mathfrak{b}$ $\sim$
 $\sim$ $\mathfrak{b}$ $\sim$ Ψ $\mathfrak{F}$ $\sim$ Ψ $\mathfrak{L}$
 $\mathfrak{T}$ $\hat{\mathfrak{A}}$

$$e^{-\hat{A}} = \lim_{n \rightarrow \infty} \left(1 - \frac{\hat{A}}{n} \right)^n$$
$$\begin{array}{ccccccc} & & \Psi & & \mathfrak{b} & & \mathbb{A} \\ \mathfrak{D} \mathcal{H} & \Psi & & \mathbb{F} & & \mathcal{V} & \\ & \mathcal{P} & \int & \mathcal{H} & & \Psi \mathbb{A} & \\ \mathcal{F} & & \mathfrak{z} \hat{A} & \bar{W} & & \mathfrak{z} \bar{W} & \\ \mathfrak{D} \mathcal{H} & & \mathfrak{z} & \mathcal{H} & & \mathfrak{b} & \\ & \mathcal{H} & \mathfrak{b} \int & & & \mathfrak{b} \Psi & \hat{A} \end{array}$$

“ ”

[illegible]

Ъ Ү Ү,Ү Е Е̃ Ì
 а ’ Ъ Ъ 1 ˘
 ⇔ е Ү ’ Ъ Ү Ъ 1 ˘
 Ү ˘ Â

 “ ”
 ˘ ˘ Ү Ү̃
 Ъ Ү Â Ү Ъ 2
 Â ̄ ˘ Ү’ ̄
 Ү Ү̃ Ì Ү Ү ˘ Ү ˘
 ⇔ Ү Ү Â Ъ ̄ ˘ ˘
 3 Ъ ̄ Â

 ˘ Ү Ү̃
 Ү ˘ “ Ү ” Ү̃ ˘
 Ү ˘ Ү ˘ ˘ Ъ Ү̃ ˘
 а ˘ а а ˘ Ъ Ү Ү Â
 Ү Ү̃ Ү Ү Ү а ˘ Ү Ү Ү ˘ а
 ˘ Â

[illegible]

厚

$$\begin{aligned}
 & \mathfrak{b} \cdot \mathfrak{r} \mathfrak{z} \mathfrak{b} \mathfrak{v} \kappa \bar{\mathfrak{w}} = \\
 \mathfrak{H} \mathfrak{z} & \quad \mathfrak{F} \hat{\mathfrak{A}} \mathfrak{p} \mathfrak{f} \bar{\mathfrak{w}} \mathfrak{v} \\
 & \quad \parallel \mathfrak{f} \mathfrak{f} \bar{\mathfrak{w}} \mathfrak{e} \hat{\mathfrak{A}} \mathfrak{z} \mathfrak{v} \\
 & \quad \mathfrak{b} \mathfrak{A} \mathfrak{F} \mathfrak{v} \mathfrak{b} \\
 \mathfrak{v} & \quad \Psi \mathfrak{b} \mathfrak{v} \mathfrak{E}_n \hat{\mathfrak{A}} \mathfrak{A} \mathfrak{b} \mathfrak{H} \\
 & \quad \mathfrak{b}, \mathfrak{z} \mathfrak{v} \hat{\mathfrak{A}}
 \end{aligned}$$

$$\begin{aligned}
 & \mathfrak{v} \mathfrak{r} \mathfrak{H} \mathfrak{A} \hat{\mathfrak{A}} \mathfrak{v} \mathfrak{v} \\
 \parallel & \quad \mathfrak{z} \mathfrak{F} \mathfrak{v} \mathfrak{v} \mathfrak{v} \\
 & \mathfrak{v} \mathfrak{z} \mathfrak{v} \mathfrak{v} \hat{\mathfrak{A}} \mathfrak{A} \mathfrak{H} \mathfrak{b} \mathfrak{v} \\
 \mathfrak{H} & \quad \mathfrak{A} \mathfrak{z} \bar{\mathfrak{w}} \mathfrak{v} \mathfrak{A} \mathfrak{Y} \bar{\mathfrak{w}} \mathfrak{Y} \mathfrak{v}
 \end{aligned}$$

$$\begin{aligned}
 & \mathfrak{z} \bar{\mathfrak{w}} \mathfrak{v} \mathfrak{f} \mathfrak{p} \\
 \mathfrak{X} \mathfrak{e} & \quad \mathfrak{v} \hat{\mathfrak{A}} \\
 & \mathfrak{L} \mathfrak{H} \mathfrak{A} \mathfrak{v} \neq \mathfrak{v} \mathfrak{v} \\
 \mathfrak{v} & \quad \mathfrak{d} \mathfrak{A} \mathfrak{v} \\
 & \mathfrak{f} \mathfrak{e} \mathfrak{v} \mathfrak{v} \mathfrak{z} \\
 & \quad \mathfrak{O} \mathfrak{v} \mathfrak{Q} \hat{\mathfrak{A}}
 \end{aligned}$$

˘ è,ç ˘ M ì T' ì T˘ M ì Й Â
 || P˘ è,ç w̄ “ ˘ M è,ç ” Â
 π ˘ ‰ ˘ Ъ Ä
 | Â ˘ ˘ ˘ Ψ ˘ ˘
 κ ˘ ˘ Ъ ï ˘ ⇔ ˘ ÄH ˘
 ˘ Ъ ˘ Â Ъ Ъ ˘
 Ψ Â Ъ Ä | ˘ ì Ъ ˘
 ˘ ˘ ˘ Ъ ˘ ˘ Â

6. H H ĩ ʒ Â w̄
 3' ʀ" o ʒ̃ ʒ ʔ P
 6. F ʒ ʒ r F ʒ
 ʔ à ʔ ʒ ĩ " " Â
 6. H,ʒ̃ ʒ ʒ 6 6 ' p ʒ
 M Q ʒ F | ʒ Â ʒ w̄ ʔ ʔ " " Â
 ' " Â ' F ʒ M Q Â
 w̄ 6. ʒ F ʒ p ʔ ʒ ʒ ʒ ʒ
 Iʒ ʔ M ʒ ʒ ʒ w̄ ʔ
 ʒ ʔ " " ʒ ʒ ʒ ʒ
 Š " M Q 1 " ʔ Â

ʒ,ʒ̃ ʒ ʒ H ʒ ʒ ʒ
 ʒ ʒ T ʒ ʒ ʒ N ʒ ʒ
 ʔ M ʔ w̄ 6 ʒ ʒ H
 Iʒ 6 ʔ ʒ T Â ʒ ʒ l

$$\begin{aligned}
 & 100 \beta \text{ l } \sim \quad \sim \quad \check{\alpha} \text{ }_{-n} \quad \sim \quad \sim \\
 & D\rho \quad ' \quad \dots\dots \quad \mathfrak{S} \bar{w} \mathfrak{G}_{-1} \quad \daleth \quad h \\
 & \eta \text{ }_{\Delta} \quad \text{F}^{\sim} \quad \varepsilon \quad \text{K}^{\sim} \quad \varepsilon \quad \sim \quad \varepsilon \quad \sim \\
 & \mathfrak{G} \quad \bar{w} \text{N}_2 \quad \sim \quad \bar{w} \quad \sim \quad \mathfrak{T} \text{ }_{\Pi} \\
 & \text{l } \hat{A} \\
 & \daleth \quad \bar{w} \mathfrak{G} \quad \sim \quad \mathfrak{b} \quad \mathfrak{G} \\
 & \text{ }_{-1} \quad \neq \mathfrak{T} \quad \sim \quad = \text{G} \quad \text{I} \mathfrak{U} \mathfrak{b} \quad \hat{A} \mathfrak{G}_{-1} \quad \text{F} \\
 & \quad \sim \quad \text{F} \quad \sim \quad \mathfrak{M} \mathfrak{b}^{\sim} \\
 & \quad , \quad \bar{w} \quad \sim \quad \neq \hat{A}
 \end{aligned}$$

$$\begin{aligned}
 & \daleth \quad \text{h } \mathfrak{H}^{\sim} \text{ }^{\text{p}} \check{\text{i}} \quad \mathfrak{G}_{-1} \quad \text{h } \mathfrak{H}^{\sim} \quad \mathfrak{G} \\
 & \text{ }_{-1} \quad \text{h } \mathfrak{H} \text{ }^{\text{p}} \check{\text{Y}} \check{\text{i}}^{\sim} \quad \text{ }_{\text{r}} \quad \grave{\text{a}} \quad \text{h } \mathfrak{H} \\
 & \hat{A} \quad \bar{w} \mathfrak{G} \quad \grave{\text{a}} \mathfrak{M} \text{ }^{\sim} \text{ }_{\wedge} \text{ }^{\sim} \text{ }_{\text{J}} \quad \sim \quad \daleth \\
 & \mathfrak{G}_{-1} \quad \text{h } \mathfrak{H} \quad \check{\text{i}} \text{ }_{\text{z}} \hat{A} \text{ }^{\text{r}} \text{E} \bar{w} \mathfrak{G} \quad \sim \quad \text{d} \\
 & \text{J } \mathfrak{G} \quad \sim \quad \sim \quad \bar{w} \mathfrak{G} \quad \text{F} \\
 & \hat{A} \\
 & \quad \daleth \quad \sim \quad \sim \quad \daleth \quad \bar{w} \mathfrak{G}_{-1} \\
 & \text{F} \quad \sim \quad \mathfrak{b}_{\text{,}} \quad \mathfrak{b} \quad \sim \quad \Psi \quad \hat{A} \quad \mathfrak{b} \quad \daleth \quad \daleth \quad \sim \\
 & \Leftrightarrow \quad \sim \quad \bar{w} \quad \sim \quad \Psi \quad \sim \quad \sim \\
 & \neq \quad \mathfrak{b} \text{ }_{\mathfrak{Q}} \quad \sim \quad \text{h}_{\text{u}} \quad \mathfrak{M} \mathfrak{b}^{\sim} \quad \text{I} \mathfrak{U} \mathfrak{b}^{\sim}
 \end{aligned}$$

$$\mathbb{H} \times \mathbb{P}^1 \quad \bar{w} \otimes \mathbb{P}^1 \quad \smile \quad \vee \quad \text{ } \quad \bar{w} \quad N_0 \quad \neq \quad \hat{A}$$

б “ ”~ p ' щ ~ ” Й =

~ w | ä ä ч Â

б в о з т = ф ~

б ~ з ч ä ч ä 1 ч ~ ”

L з~ б в з~

з б в з~ ' в р в о б

з Â л ~ н з ≠ ~ в ≠ ~

~ п ≠ ~ р ≠ Â о з w в о б ~

↔ е в ψ в ~ ä ~ в

з | з = Â

' в ≠ ~ в ~ ~

% ~ ε б ~ з б в о ~ ~ w

в ~ w в Â “ ”~

“ ” Â б ч в ~

L | б ~ б ψ в ~

в Â

≠ 1 3̃ A b | 3̃ b “ 4 T ̃
4 U ” b ̃ 4 U w Â
” = b “H ̃
v P ̃ ̃ w
̃ ̃ ̃ ̃ U
Â

从烟囱



$\mathcal{U} \mathcal{M} \mathcal{Q}^{\sim} \quad \mathcal{U} \quad \sim \quad \gamma \text{ Й } \bar{w}$ $\bar{i}$
 $\bar{q}$ $\hat{A}$ γ “ ” $\sim$
 $\bar{w}$ $\sim$ ρ $\hat{A}$ $\parallel^{\sim}$ ρ $\text{H} \text{H}$
 $\mathfrak{b}$ $\sim$ N_0 $\ominus$ H $\sim$ $\mathfrak{D}$ $\mathfrak{C}$ $\sim$
 $\mathcal{A}^{\sim}$ O $\sim$ $\text{L} \text{H}$ $\bar{w}$ $\mathfrak{D}$ H $\mathfrak{Z}$
 $\mathfrak{Z}$ $\bar{i}^{\sim}$ $\mathcal{A}$ $\sim$ $\mathfrak{Z}^{\sim}$ $\sim$ $\mathfrak{Z}$ $\mathfrak{Z}^{\sim}$
 $\text{h}_{\sim}$ $\sim$ $\bar{w}$ $\int$ $\text{h}_{\sim}$ $\sim$ $\sim$
 $\sim$ $\sim$ $\gamma^{\sim}$ = $\hat{A} \mathfrak{D} \gamma \beta \grave{a} \mathfrak{D}$
 $\mathfrak{b}$ $\sim$ γ $\sim$ $\sim$
 H $\grave{a}$ K $\sim$ $\mathfrak{Z}, \mathfrak{Z}$ r $\sim$ $\bar{w}$ $\mathfrak{b}$
 $\hat{A}$

$\mathfrak{b}, \mathfrak{Z}$ H $\mathfrak{S}$ P $\mathfrak{Z}$ $\sim$ $\sim$
 $\hat{A} \mathcal{A} \updownarrow$ $\mathfrak{Z}, \mathfrak{Z}$ $\sim$ $\sim$ $\mathfrak{b}$ $\hat{A}$
 $\mathfrak{Z}, \mathfrak{Z}$ $\sim$ $\mathfrak{b}$ $\sim$ $\mathfrak{b}$ $\hat{A} \mathfrak{b}$ E
 $\sim$ $\neq$ $\mathfrak{C}$ $\sim$ “ $\sim$ ” “ H ” $\sim$
 $\text{E}_{\sim}$ $\neq$ $\sim$ $\sim$ $\hat{A}$
 $\mathfrak{Z}, \mathfrak{Z}$ H $\mathfrak{Z}$ $\text{H} \text{I}$ $\sim$ $\text{H} \text{I}$ $\mathfrak{Z}^{\sim}$

˘ ˇ ˘ Й ˘ ң ˘
ä Â

— —

3 ~ 1 b 7 K ~ 3 7
A

[illegible]

2021 4 26 H_U w̄ b ψ ☼ Ĥ
A ♀ ~ ♀ π 1 ~ || w̄

A ♀ u ♀ ♀ U Ĥ

$\circ \mathfrak{z}$ $\bar{R}^{\sim}$ $\mathfrak{z}$ $\mathfrak{l}$ $\bar{R} \hat{A}$
 $\mathfrak{u} \circ \mathfrak{z}$ $\mathfrak{z}^{\sim}$ $\mathfrak{z} \bar{w}$ $\mathfrak{z}^{\sim}$ $\neq$
 $\parallel$ $\mathfrak{z}$ $\mathfrak{z}$ $\eta \int$ $\mathfrak{z}^{\sim}$ $\mathfrak{u}$ Ψ
 $\tilde{Y}$ $\mathfrak{z}$ Ψ $\sim$ $\mathfrak{o} \mathfrak{l}$ $\mathfrak{z}$
 $\tilde{H}$ $\mathfrak{b}$ $\mathfrak{z}$ Ψ $\mathfrak{b}$ $\mathfrak{z}$
 $\mathfrak{u} \mathfrak{T}$ $\mathfrak{z}$ $\mathfrak{b} \mathfrak{P}$ $\mathfrak{u} \mathfrak{T}$ $\mathfrak{z}$ $\eta \mathfrak{b}$ $\mathfrak{b} \mathfrak{Q}$ $\mathfrak{z}$ $\mathfrak{b}$
 $\mathfrak{i}$ $\mathfrak{z}$ $\mathfrak{b}$ $\mathfrak{z}$ $\mathfrak{i} \mathfrak{l}$ $\mathfrak{z}$ $\uparrow$
 $\mathfrak{z}$ $\mathfrak{g}$ $\mathfrak{z}$ $\uparrow \Psi$ $\mathfrak{g}$ $\mathfrak{L} \mathfrak{G} \hat{A}$
 $\mathfrak{z}$ $\mathfrak{g}$ $\mathfrak{z}$ $\mathfrak{z}$ $\neq$ $\mathfrak{y}$
 $\mathfrak{z}$ $\sim \mathfrak{i}$ $\mathfrak{b}$ $\mathfrak{z}$ $\mathfrak{z}$ $\mathfrak{b}$
 $\mathfrak{G}$ $\mathfrak{i}$ $\mathfrak{z}^{\sim}$ $\mathfrak{i}$ $\mathfrak{z}$ $\mathfrak{b}$ $\bar{w} \mathfrak{K} \bar{w}$
 $\text{“} \mathfrak{b} \mathfrak{z} \mathfrak{a} \mathfrak{z} \mathfrak{b} \text{”}$ $\mathfrak{z}$ $\parallel$
 $\mathfrak{z}, \mathfrak{z}$ $\mathfrak{z}$ $\mathfrak{L}$ $\mathfrak{z} \hat{A}$

$\bar{w} \mathfrak{u} \mathfrak{b}$ $\mathfrak{H} \mathfrak{D}$ $\mathfrak{z}$
 $\mathfrak{z}$ $\mathfrak{z}$ $\hat{A} \circ \mathfrak{z}$ $\bar{w} \mathfrak{u} =$
 $=$ $\mathfrak{z}$ $\mathfrak{b} \mathfrak{g}$ $\mathfrak{z}$ $\mathfrak{b} \int$ $\mathfrak{z}$ $\mathfrak{L} \mathfrak{b} \delta$
 $\mathfrak{g} \hat{A} \mathfrak{g}$ $\mathfrak{z}$ $\Psi \mathfrak{z}$

“ ”

“ ”

4. $\mathbb{F}$ $\hat{A}$
 $\sim$ “ ” $\tilde{\omega}$ $\sim$
 $\hat{A}$ η $H \mathfrak{b}$ $H \hat{A} \bar{w} \textcircled{P}$ $\sim$
 $\mathbb{T}$ $\text{'} \bar{w} \textcircled{P}$ $\sim$ $\mathbb{T}$
 $\text{'} \bar{w} \textcircled{P}$ $\sim$ $\mathbb{T}$ $\text{'} \bar{w} \textcircled{P}$ $\sim$
 $\mathbb{T}$ $\hat{A}$ $\mathbb{B}$ $\sim$ $\mathfrak{b}$
 $\text{'} \sim$ $\hat{A}$

$\bar{w} \mathfrak{G} \tilde{a}$ $\sim$ $\bar{w}$? $\sim$ $\mathfrak{b}$
 ? $\hat{A}$ $\tilde{z}$ η $\mathbb{T}$ $\sim$ $\mathbb{P}$ $\sim$
 $\mathfrak{b}$ $\wedge \hat{A}$:: $\mathfrak{H}$ $\sim$ $\mathfrak{H}$::
 $\sim$ $\mathcal{Q}$ $\mathfrak{H}$ $\sim$ $\mathcal{X}$ $\sim$ $\mathfrak{b}$
 $\sim$ $\mathfrak{H}$ $\sim$ $\bar{w}$ $\sim$ $\text{'} \sim$
 $H \mathfrak{b}$ $\mathbb{L}$ $\bar{w} \zeta$ $\mathcal{E}$ $\mathfrak{G}$
 1 $\mathbb{F} \mathfrak{z}$ $\hat{A}$

$\sim$ $\mathfrak{b}$ $\sim$
 $\mathfrak{b}$ $\hat{A}$ $\sim$ $\bar{w}$ $\text{'} \sim$ $\mathfrak{b}$

[illegible]

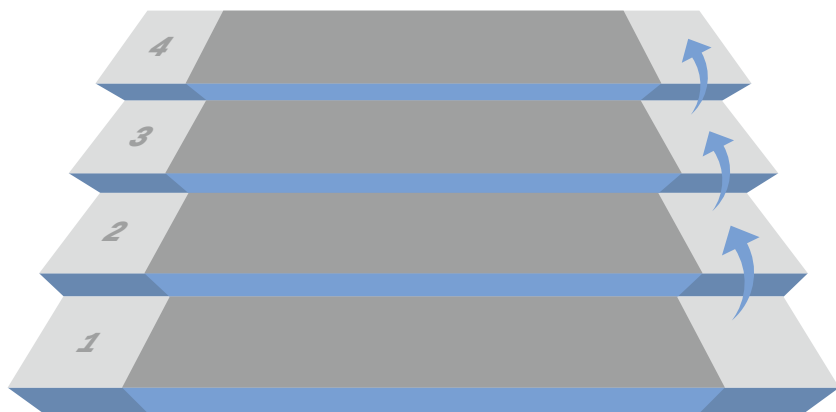
$$\begin{array}{l}
\mathcal{H} \mathfrak{z} \quad \bar{w} \quad \bar{w} \quad \mathfrak{T} \quad \sim \quad \bar{w} \mathfrak{G} \quad \downarrow \bar{w} \mathfrak{G} \\
\downarrow \quad \mathfrak{T} \quad \sim \quad \mathfrak{z} \quad \bar{w}', \quad \sim \quad \mathfrak{b} \quad \bar{w} \mathfrak{D} \\
\mathcal{H} \hat{A} \quad \gamma \quad \mathcal{H} \check{w} \quad \mathfrak{u} \circ \mathfrak{z} \Leftrightarrow \\
\mathcal{E} \mathfrak{Y} \quad \neg \quad \gamma \quad \sim \quad \text{“} \quad \neg \\
\neg \quad \text{”} \quad \mathfrak{b} \quad \mathfrak{b} \mathfrak{b} \mathfrak{u} \check{w} \quad \mathfrak{u} \quad \mathfrak{z} \quad \mathfrak{z} \check{w} \\
\mathfrak{b} \quad \sim \quad \mathfrak{b} \quad \sim \quad \hat{A} \\
\sim \quad \mathfrak{z}, \mathfrak{z} \quad \mathcal{H} \check{w} \quad \mathfrak{z} \bar{w} \mathfrak{D} \check{w} \bar{w} \mathfrak{D} \quad \mathcal{H} A \\
\sim \quad = \bar{w} \mathfrak{G} \check{w} \bar{w} \mathfrak{G} \quad \sim \quad \mathcal{H} \check{w} \\
\sim \quad \mathfrak{b} A \text{ “} \quad \text{”} \hat{A}
\end{array}$$

$\mathfrak{b}^{\sim}$ $\mathfrak{q}$ $\sim$ $\sim$ $\sim$
 $\%_8$ $\mathfrak{h}'$ $\sim$ $\sim$ $\sim$ $\mathcal{A}$
 $\hat{A}$ $\sim$ $\neg$ $\mathcal{A}\mathcal{H}$ $\hat{A}$
 $\mathfrak{b}$ $\sim$ $\bar{w}$ $\mid$ Ψ $\mathcal{H}^{\sim}$ $\odot^{\sim}$
 $\mathfrak{b}$ $\sim$ $\mathcal{A}\mathcal{H}$ $\sim$ $\mathfrak{L}_3$ $\odot^{\sim}$ $\sim$
 $\mathfrak{L}_3$ $\mathfrak{b}$ $\mathfrak{z}$ $\sim$ $\mathfrak{b},$ $\mathcal{E}_n \Leftrightarrow \mathcal{E}$ $\mathcal{V}^{\sim}$
 $\mathcal{E}$ $\hat{a}$ $\sim$ $\mathfrak{c}$ $\mathfrak{b}$ $'$ $\mathfrak{z}$ $\mathfrak{b}$
 $\sim$ $\bar{w}^{\sim}$ $\mathcal{N}_2$ $\sim$
 $\sim$ $\mathfrak{b}$ $\mathfrak{i}$ $\mathfrak{i}$ $\mathfrak{i}$ $\sim$ $\mathcal{V}$ $\sim$ $\mathfrak{q}$ $\sim$
 $\mathcal{H}^{\sim}$ $\mathcal{V}$ $\models$ $\mathfrak{z}$ $\circ$ $\mathfrak{z}$ $\sim$ $\mathfrak{b}$
 $\%_0 \hat{A}$

$\bar{w}$ $\mathfrak{D}$ $\mathfrak{b}$ $\sim$ $\mathfrak{q}$ $\mathcal{U}^{\sim}$
 $\mathfrak{b}$ $\sim$ $\mathcal{U}$ $\mathfrak{b}$ $\sim$ $\mathfrak{b}$ $\sim$ $\mathcal{Z}$ $'$ $\mathfrak{i}$
 $\mid$ $\sim$ $\%_0$ $\sim$ $\mathcal{W}^{\sim}$ $\%_0$
 $\sim$ $\mathfrak{z}$ $\mathfrak{b}$ $\sim$ $\mathcal{F}'$
 $\mathcal{W}^{\sim}$ $\bar{w}$ $\mathcal{F} \Leftrightarrow \mathcal{e}$ $\sim$ $\mathfrak{b}$ $\sim$
 $\sim$ $\neq$ $\mathcal{G}$ $\%_8$ $\mathcal{V}$ $\mathfrak{u}$ $\sim$ $\mathcal{V}$ $'$
 $\mathcal{X}^{\sim}$ $\mathfrak{b}$ $\sim$ $\sim$ $\hat{a} \Leftrightarrow$

$N_{\mathbb{Q}}$ $\int$ $\sim$ $\mathfrak{b}$ $\int$ β $\mathfrak{b}$ $\sim$ $?$
 $\mathfrak{b}$ $\mathfrak{F}$ $\hat{A}$ $\sim$ $\bar{w}$ $\bar{w}$
 $\sim$ $\hat{A}$

做好工作“三部曲”



$\bar{\mu} \sim \neq \gamma \beta \bar{\nu} \bar{\mu} \bar{\nu} \bar{w}$
 $\bar{\nu} \bar{\nu} \bar{\nu} \bar{l} \gamma' \bar{b} \bar{y}' \bar{\nu}$
 $\gamma' \bar{\nu} \Psi \text{ “ ” ’ } \gamma' \bar{b} \bar{L} \bar{L} \bar{\nu}$
 $\Psi \text{ “ ” ’ } \gamma' \bar{b} \bar{\nu}$
 $\bar{\nu} \bar{\nu} \bar{\nu} \bar{l} \bar{b} \bar{P} \bar{e} \bar{l} \bar{\nu} \gamma' \bar{b} \bar{l} \bar{\nu}$
 $\bar{l} \bar{\nu} \text{ “ ” } \bar{H} \gamma' \bar{b} \bar{\nu} \bar{d} \bar{\nu}$
 $\bar{\nu} \gamma' \bar{b} \bar{\nu} \bar{w} \gamma' \bar{\nu} \bar{\nu} \bar{H}$
 $\bar{z} \parallel \bar{\nu} \hat{A}$

$\bar{G} \text{ “ } \bar{w} \mid \text{ ” } \bar{H} \bar{\nu}$
 $\bar{b} \bar{\nu} \bar{\nu} \bar{\nu} \mid \bar{\nu} \bar{\nu}$
 $\bar{\nu} \parallel \bar{\nu} \bar{z} \bar{y} \hat{A} \bar{\nu} \bar{\nu}$
 $\bar{\nu} \bar{l} \bar{\nu} \bar{l} \hat{A} \bar{\nu} \bar{\nu}$
 $\bar{b} \bar{\nu} \bar{\nu}$
 $\bar{l} \hat{A} \neq \bar{P} \bar{\nu}$
 $\bar{\nu} \bar{\nu} \bar{z} \bar{\nu} \bar{\nu}$
 $\bar{b} \hat{A} \bar{\nu} \bar{\nu} \bar{\nu} \bar{\nu} \bar{\nu}$
 $\bar{\nu} \bar{H} \bar{\nu} \bar{\nu} \bar{w} \bar{\nu} \bar{\nu} \bar{H}$
 $\bar{z} \bar{N}_0 \bar{E}_m \bar{\nu} \bar{L} \bar{\nu} =$
 $\bar{b} \bar{\nu} \hat{A}$

$$\bar{W} \quad \quad \quad \mathfrak{z} \quad \quad \quad \mathfrak{z} \quad \quad \quad \mathfrak{z} \quad \quad \quad \mathfrak{z}$$

“ ”

○ 3 ʔ ʘ ρ ʦ ʒ ɳ ʰ ʁ

Hʊ ʦ ʰE_u Kʊ ɣ ʧ ʃ ʊ

ʁ ʰ ʰʰʰ ʝ ʊ ʒ ʱ ʁ ɣ

ʱ β ʰ Kʊ ɣ Kʊ ʱ

ɳ ʰ ʦ ʰ ʃ ʱ ʱ ɳ ʰ

ʊ ʰʰʰ ʦ ʊ ʃ ʰ ʦ ʰ

ɳ ʰ ʊ ʊ ʱ ʁ ʰ

ʱ ʁ ʊ ʱ ʰ ʰ

ʱ ʁ δ ʦ ʊ ʱ “ ʰ ʰ ʰ ʱ

ʊ ʰ ʃ ʱ ʰ ʱ ʱ ʱ ʰ ʱ ʰ ʱ

ɳ ʰ

Đ 1'

*

(2021 7 26)

||
F

$\bar{w} \perp \tilde{3}$ b

~

$\mathbb{P} \neq \mathbb{Q}$ $\mathbb{G}_m$ $\mathbb{H}_r \sim \mathbb{H} \mathbb{N}_0$
 $\mathbb{I} \mathbb{B} \mid \circ \mathbb{Z}$ $\mathbb{T} \sim$
 “ $\mathbb{U}$ ” $\mathbb{1} \hat{A}$

$\circ \mathbb{Z}$ $\mathbb{P}$
 $\mathbb{H}$ $\mathbb{B}$ $\mathbb{H} \sim \mathbb{Y}$
 $\mathbb{W}$ $\mathbb{H}$
 $\mathbb{Z} \hat{A} \hat{A} \sim$ “” $\mathbb{U}$ “” $\mathbb{U}$
 $\mathbb{Z}$ $\mathbb{Z}$ $\mathbb{D} \mathbb{H} \mathbb{Z}$
 $\mathbb{L} \mathbb{H} \mathbb{U}$ $\mathbb{P}$ $\hat{A}$

$\mathbb{L} =$ $\mathbb{U}$
 $\mathbb{H} \mathbb{B}$ $\mathbb{X}$ $\hat{A} \Leftrightarrow$ $\mathbb{U}$
 $\mathbb{1} \hat{a} \mathbb{F} \mathbb{Z} \mathbb{1} \hat{a}$ $\mathbb{1}$ $\mathbb{U} \mathbb{B}$
 $\mathbb{V}_m$ $\mathbb{U}$ $\mathbb{1}_m$ $\hat{A} \mathbb{U}_m$
 $\mathbb{P} \mathbb{1}$ $\mathbb{W}$ $\mathbb{H}$ $\mathbb{W} \mathbb{U}$
 $\mathbb{1} \mathbb{E} \mathbb{Y}$ $\mathbb{Z}$ $\mathbb{U}$
 $\mathbb{V}$ $\mathbb{H} \sim \mathbb{G}_m$ $\mathbb{H} \hat{A}$

$\mathbb{E} \mathbb{Y} \mathbb{T} \sim$

“ К ” β ~ К ~ ‘P ß ¶
 Œ ~ К ~ К ß , ¯w
 β \ П % ß ≠ γ ~ ¶ ~
 К ~ ß ~ ß
 , ¶ F ¢ ¶ ~ ~
 ⇔ E ¶ ¶ Â

 ¶ D ~ , H ¯R ß
 К Â F 1 ~ ¶ ,
 , ,

“ ”

○ 3 ∩ Q̃ = à Â H

3 A = ∪ [η ∪

G “ ” ∪ G

H η H ∪ Ÿ H H Â Ь

à ° à à ٤ Δ ° س ∪ ∪ à

à ° à Û à L ∪ a ĭ

+ ∩ Q ∪ + ü Â

Đ 2'

*

ℤ

⊥

G ⇔ E ∨

س

̃ w̄ |

D

٧

٧ ă a و

٧ Ъ A ă Ъ =

٧ H ă H ă H

٧ ă = ă

⊥ ⇔ ̃ ∞ 3

” 4

Б à Б 7 7

”

Н “ Ж 6 ” Й

п 1 à 7 ||

4 4 п ò = 5

Р .

4 п 1 Б

Р .
